

Code: 17ECMC2T5B

**I M.Tech - II Semester – Regular/Supplementary Examinations
July - 2019****CODING THEORY
(MICROWAVE & COMMUNICATION ENGINEERING)**

Duration: 3 hours

Max. Marks: 60

Answer the following questions.

1. a) Illustrate encoding and decoding circuits of a systemic (7,4) codes. 8 M

b) Construct the decoding Table for a single error correcting (7, 4) Cyclic code, whose generator polynomial is $g(x) = 1 + x^2 + x^3$. 7 M

OR

2. a) Draw the syndrome circuit for the (7,4) cyclic code generated by $g(x) = 1 + x + x^3$. What will be its syndrome if the received vector is (0 0 1 0 1 1 0). 8 M

b) List out and prove any three theorems related to cyclic codes. 7 M

3. a) Illustrate t error correcting reed-solomon code with its generator polynomial. 6 M

b) Determine the generator polynomials of all primitive BCH codes of length 31. Use Galois field $GF(2^5)$ generated by $p(X) = 1 + X^2 + X^5$. 9 M

OR

4. a) Devise a syndrome computation circuit for a binary double error correcting (31,21) BCH Code. 10 M

b) Illustrate BCH code with its generator polynomial. 5 M

5. a) Draw and explain the operation of a (2,1,3) convolution encoder. 7 M

b) Consider (3,1,2) convolution code with $G(1) = (1 \ 1 \ 0)$, $G(2) = (1 \ 0 \ 1)$, $G(3) = (1 \ 1 \ 1)$. Draw the encoder block diagram and find the generator matrix G . 8 M

OR

6. a) Consider (3,1,5) systematic code with $G(2) = (1 \ 0 \ 1 \ 1 \ 0 \ 1)$, $G(3) = (1 \ 1 \ 0 \ 0 \ 1 \ 1)$. Find generator matrix G and parity sequence corresponding to the information sequence $u = (1 \ 1 \ 0 \ 1)$. 8 M

b) Consider (3,2,3) systematic code with $G(1) = 1 + D^2 + D^3$, $G(2) = 1 + D + D^3$. Draw the straight forward realization of encoder. 7 M

7. a) What are turbo codes? Briefly explain it with its turbo encoder ($r= 1/3$). 8 M

b) Discuss distance properties of turbo codes. 7 M

OR

8. a) Give the performance analysis of turbo codes. 7 M

b) What is an LDPC code? Give the equations for a simple LDPC code with $n=12$. 8 M